

lecture 20 capacity constraint

csc302h winter 2014



recap from last time

- requirements (or features = F)
 - prioritized potential requirements from wish list
 - can even do full cost / benefit analysis
 - estimate a size for each (planning poker) in ideal days (ECDs)
- calculate available resources (N)
 - pick a value for T (workdays until release date, end of sprint, horizon, ...)
 - for each developer, determine availability, vacation, and then multiply by w



recap from last time (2)

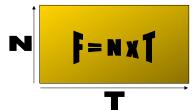
$F \leq N \times T$

- plan must respect the capacity constraint
- keep plan up to date with most current estimates at all times
- · dealing with overflow
 - move dates
 - cut features
 - combination
 - adding developers is rarely helps the current plan



capacity constraint

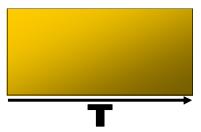
• at the end of a release (sprint, horizon, ...) the following relationship <u>must</u> hold:



- today we will more rigorously define this
 - to know what we are trying to estimate
 - how to compare actuals to estimates (post-mortem)



number of work days: T



- number of full working days for development, subtracting
 - weekends
 - statutory holidays
 - "company days"
 - anything we know ahead of time



developer power: N



- the average number of dedicated developers per work day during the *T*-day period
 - subtract vacation
 - multiply individual work factors: w_i
 - also defines daily burn-down rate



work time vs. dedicated time

- work time
 - defined as 8 hours per work day
- dedicated time
 - uninterrupted hour equivalents
 - time dedicated to adding new features to release or (unit testing)
- uninterrupted time
 - 8 hours with 1 hour of constant interruptions is not 7 hours...more like 4



dedicated losses

- maintenance on previous (still supported) releases
- leadership duties
- meetings
- training
- unexpected days off (ex. illness)
- sales/marketing support
- loss of "zone time" due to interruptions
- work on other projects (availability)



measuring N (post-facto)

$$N = \frac{\sum_{i=1}^{n} h_i}{8 \cdot T}$$

- assume all developers understand what dedicated, uninterrupted hours are
- *n* is the number of developers
- h_i is the total number of hours logged by developer i on all features in the release (best read from time tracking system)



attributing N

$$t_i = d_i - v_i$$
 $w_i = \frac{h_i}{8 \cdot t_i}$ $N = \frac{\sum_{i=1}^n t_i \cdot w_i}{T}$

- d_i is the number of days developer i is available during the development phase (sprint, horizon, ...)
- v_i is the number of vacation days developer i took during the development phase

substitute to get back to:
$$N = \frac{\sum_{i=1}^{n} h_i}{8 \cdot T}$$



example

$$T = 39$$

$$d_{bob} = 35$$

$$v_{bob} = 5$$

$$t_{bob} = d_{bob} - v_{bob} = 35 - 5 = 30$$

$$h_{bob} = 120$$

$$w_{bob} = \frac{h_{bob}}{8 \cdot t_{bob}} = \frac{120}{8 \cdot 30} = 0.5$$

- Bob called in sick 2 days
 - accounted for in h_{hoh}
- · Bob took an afternoon off, but worked on the weekend to make up for it
 - Accounted for in h_{hah}



features



Features
$$F = \sum_{k=1}^{K} f_k$$

• f_{ν} is the number of dedicated days (dedicated hours \div 8) it took to develop the k^{th} feature



post-mortem

- need a time tracking system capable of tracking $h_{i,k,d}$:
 - dedicated (uninterrupted) hours spent
 - by the *i*th developer (out of all *n* developers)
 - on the *d*th day
 - working on the k^{th} feature
- each such "quantum" would appear on either side of
 F = N × T constraining them to be equal
- see section 5.10 of the Penny book for proof