## capacity constraint

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- fundamental constraint governing all planning activity
- geometric analogy:

requirement
capacity


## capacity constraint (2)

- fundamental constraint governing all planning activity


## it's all gotta fit!



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## simple release plan

| Dates: | Coding phase: Beta availability: General availability: | Jul. 1 —Oct. 1 Nov. 1 Dec. 1 |
| :---: | :---: | :---: |
| Capacity |  | days available |
|  | Fred | 31 ecd |
|  | Lorna | 33 ecd |
|  |  | 21 acd |
|  | Bill | $\underline{21 \mathrm{ecd}}$ |
|  | total | 317 ecd |
| Require | ment: | days required |
|  | AR report | 14 ecd |
|  | Dialog re-design | 22 ecd |
|  | read suppor | - |
|  | Thread support | 87 ecd |
|  | total | 317 ecd |
| Status: | Capacity: | 317 effective coder-days |
|  | Requirement: | 317 effective coder-days |
|  | Delta: | 0 effective coder days |

## release planning

- what to build:
- by when to build it: F
- using how many people: N
- need to build an initial plan that respects the capacity constraint
- need to continuously update the plan to maintain its adherence to the capacity constraint.
- comes from either:
- not knowing
- knowing but hoping for the best (Yourdon's Death March)
(can happen initially, or as we go)



## dealing with issues

developer leaves the team

add time

cut features



developer returns


## organizational issues

- management must appreciate that software development carries with it certain inherent risks
- the business of a software organization is to manage and adapt as possibilities continuously become reality
- ranting and raving is unproductive
- with good data, good managers will make good decisions
- post-facto, the following relationship must hold: (but, it requires careful definition)

we define carefully so that we know what it is we are trying to estimate, and how to compare actuals against estimates for post-mortem


## T: number of workdays



- the number of full-equivalent working days from fork to dcut.
- subtracts
- weekends
- statutory holidays
- "company days"
- subtracts anything we know in advance that nobody is expected to work.


## $T=c D:$ for SaaS



- $D=$ full working days in planning horizon
- $\mathrm{c}=$ factor to convert to predominantly coding days


## $\mathbf{N}$ : developer power



- the average number of dedicated developers per workday working during the T-day period.
- dedicated developer?


## work time vs. dedicated time

- work time or body time
- defined as 8 hours per workday
- excludes weekends, stat. holidays, vacation entitlement.
- e.g., 9-to-6 with 1 hour for lunch.
- dedicated time
- uninterrupted hour equivalents.
- time dedicated to adding new features to the release.
- uninterrupted time
- 4 hrs with 30 min . of constant interruptions
- not 3.5 hrs of dedicated uninterrupted time - more like 2
- 2 hrs with NO interruptions at all


## dedicated "losses"

- maintenance (tracking down and fixing defects) on previous releases
- other simultaneous projects
- team-leader duties (\& helping others)
- meetings
- training
- unexpected, non-made-up days off (e.g., sick days)
- sales/marketing support
- loss of flow due to interruptions


## measuring $\mathbf{N}$

$$
N=\frac{\sum_{i=1}^{n} h_{i}}{8 \cdot T}
$$

- assume each developer understands the concept of a dedicated uninterrupted hour.
- get each of the $\boldsymbol{n}$ developers to record how many dedicated uninterrupted hours they spent in total during the coding phase.
- $\boldsymbol{h}_{\boldsymbol{i}}$ is what's in the time tracking system for the $\boldsymbol{i}^{\boldsymbol{t} \boldsymbol{h}}$ developer.


## attributing $\mathbf{N}$

$$
t_{i}=d_{i}-v_{i}
$$

$$
w_{i}=\frac{h_{i}}{8 \cdot t_{i}}
$$

$$
N=\frac{\sum_{i=1}^{n} t_{i} \cdot w_{i}}{T}
$$

- $\boldsymbol{d}_{\boldsymbol{i}}$ is the number of days available during the coding phase
- $\boldsymbol{v}_{\boldsymbol{i}}$ is the number of vacation days they took during the coding phase
- $\boldsymbol{h}_{\boldsymbol{i}}$ is as before

Substitute to get back to:

$$
N=\frac{\sum_{i=1}^{n} h_{i}}{8 \cdot T}
$$

## example

$$
\begin{aligned}
T & =39 \\
d_{b o b} & =35 \\
v_{b o b} & =5 \\
t_{b o b} & =d_{b o b}-v_{b o b}=35-5=30
\end{aligned}
$$

$$
h_{b o b}=120
$$

$$
w_{b o b}=\frac{h_{b o b}}{8 \cdot t_{b o b}}=\frac{120}{8 \cdot 30}=0.5
$$

- Bob called in sick for 2 days: accounted for in $h$
- Bob took an afternoon off, but worked on the weekend to make up for it: accounted for in $\boldsymbol{h}$


## features


$\boldsymbol{f}_{\boldsymbol{k}}=$ dedicated hours $/ 8$ it took to code the $\boldsymbol{k}^{\text {th }}$ feature

## post-mortem

- imagine a time-tracking system that tracks:
- $\boldsymbol{h}_{i, k, d}=$ dedicated (uninterrupted) hours spent
- by the $i^{\text {th }}$ developer
- on the $d^{\text {th }}$ day
- doing coding work on the $\boldsymbol{k}^{\text {th }}$ feature
- each such quantum would appear on both sides of $\mathrm{F}=\mathrm{N} \times \mathrm{T}$ constraining them to be equal.
- see section 5.10 in book for proof.

